

# Introduction to CCDs and CCD Data Calibration

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## Fundamental Requirements of Differential Aperture Photometry

1. Light from the *target star* and the *comparison stars* are affected by the atmosphere and telescope in exactly the same way  
→ identical extinction and PSF
2. Moonlight, twilight, sky emission, light pollution, and *scattered light in the telescope* is exactly the same  
→ identical background light

## Fundamental Requirements of Differential Aperture Photometry

3. The detector measures the light from all stars in exactly the same way  
→ identical pixels (sensitivity and noise)

If these conditions are met, then simultaneous differential (relative) aperture photometry will allow atmospheric fluctuations\* to be canceled out.

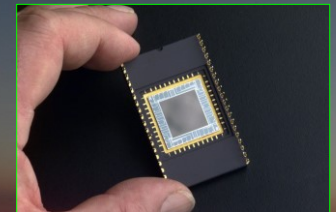
Relative flux = target star / comp star

(\*) thin clouds, change in transparency, change in sky brightness, change in airmass, etc.

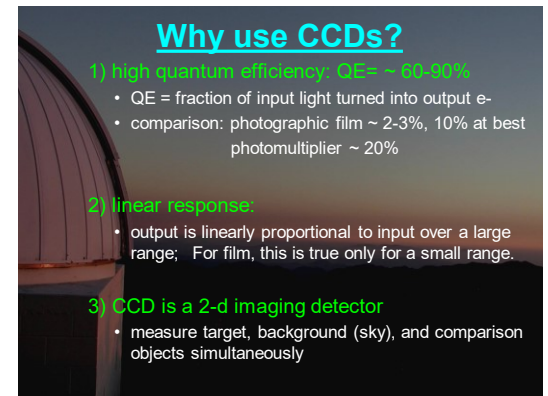
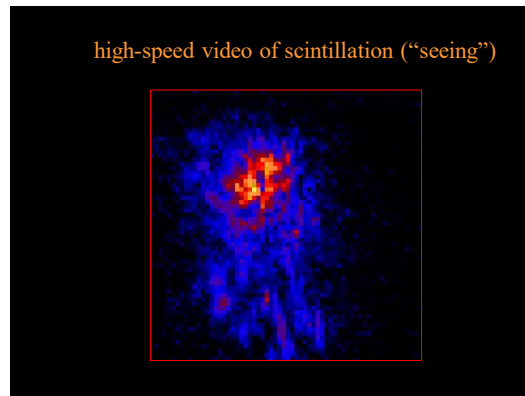
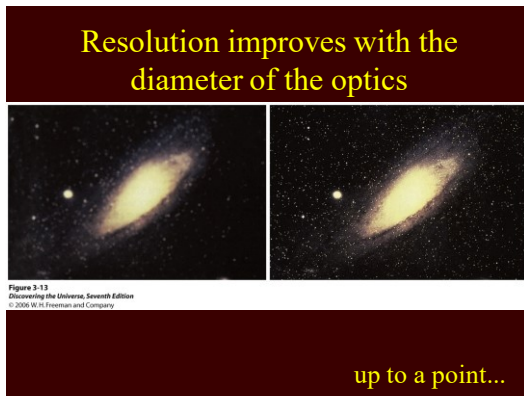
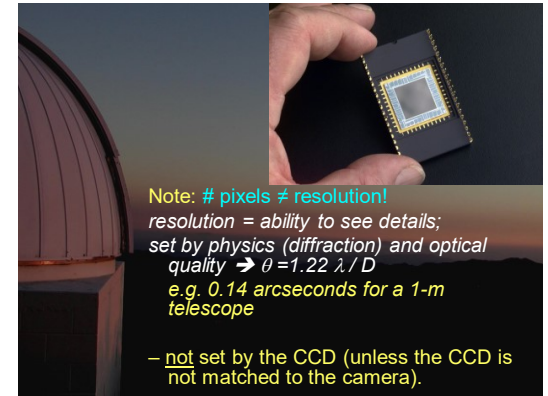
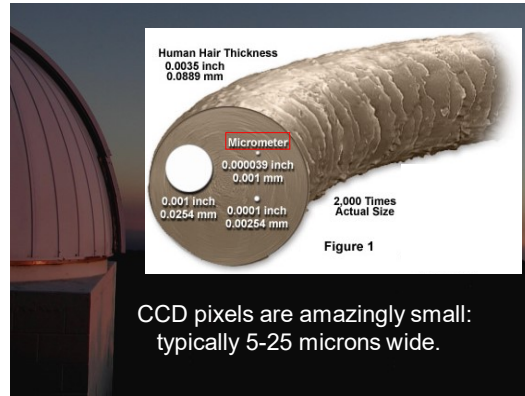
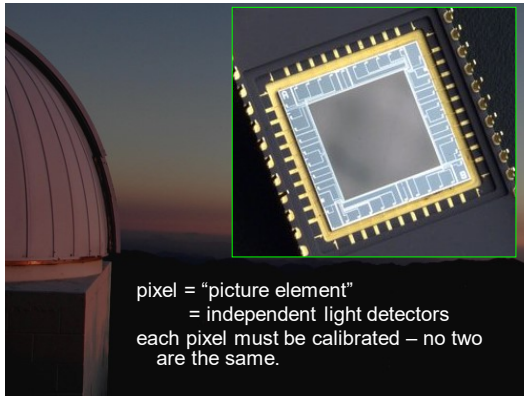
If these conditions are *mostly* met, then simultaneous differential (relative) aperture photometry will allow atmospheric fluctuations\* to be *mostly* canceled out.

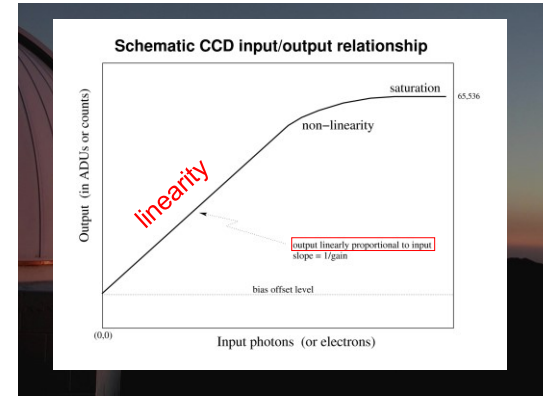
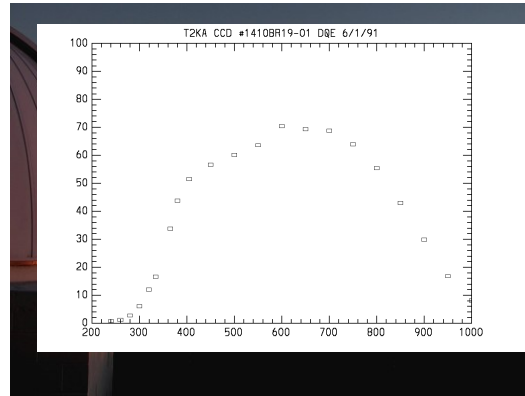
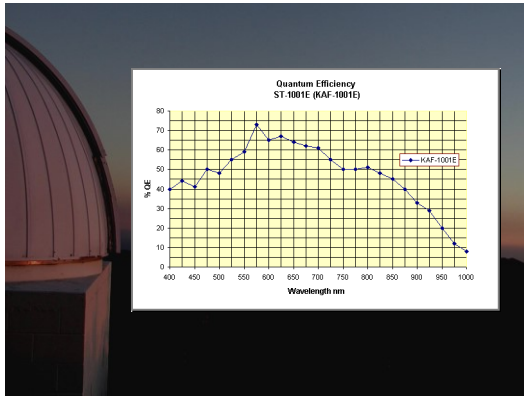
Precision of ~ 0.00021 (0.021% or 210 ppm) can be reached with ground-based telescopes in 150 s exposures.

(Tregloan-Reed J., Southworth J., 2013, MNRAS, 431, 966)



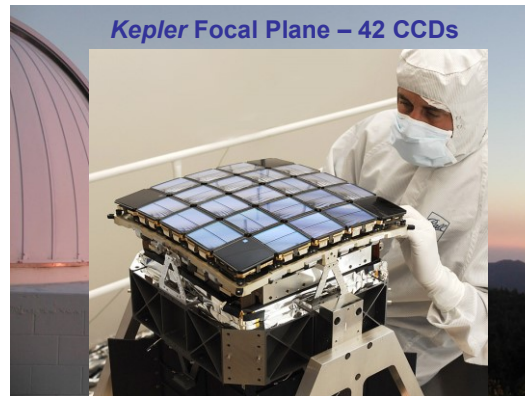
CCD: “charge coupled devices” integrated circuit silicon chips that can record optical (and X-ray) light





Note: Photomultipliers still win if very high speed is needed: exposures  $\ll 1$  sec (e.g. for pulsars)

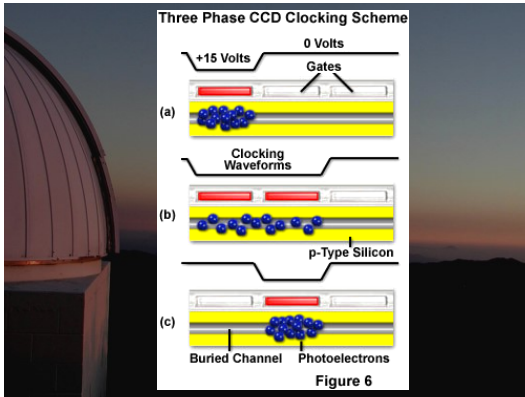
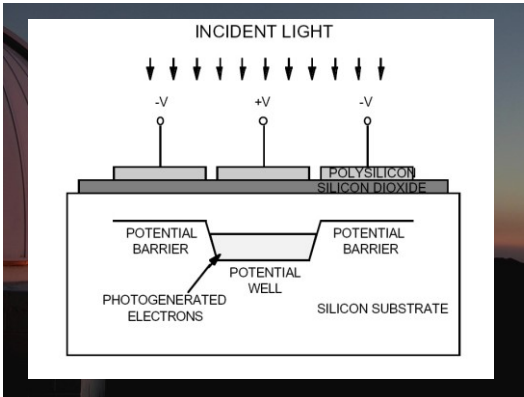
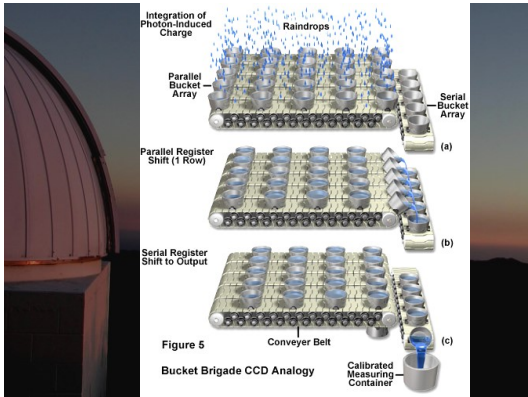
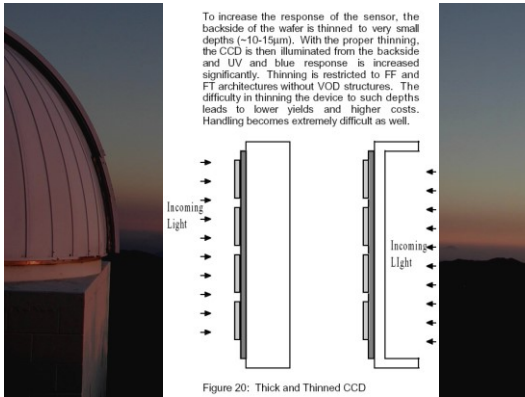
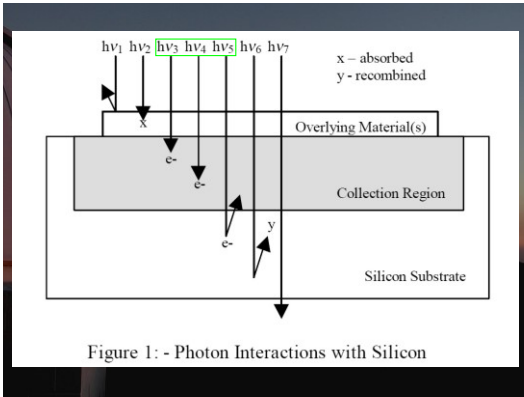
Photographic film sometimes used if very wide images are needed (CCDs are only ~1 inch wide), but a mosaic of CCDs is preferred (though very expensive).



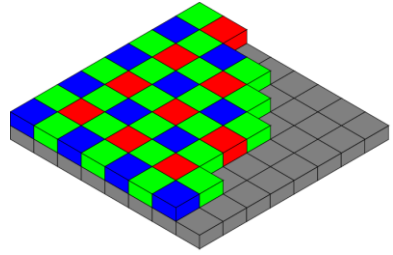
CCD Data Acquisition

- 1) Photon knocks free an electron in the silicon via the photoelectric effect.
- 2) CCD electronics transfer  $e^-$  to an amplifier; charge is measured & digitized, then stored in a file:  
 $\text{photon} \rightarrow e^- \rightarrow \text{ADU} \rightarrow \text{.fits file}$

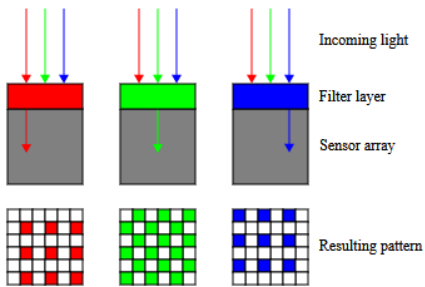
"ADU" = analog-digital-unit  
or equivalently, a "DN" (data number),  
or simply a "count".



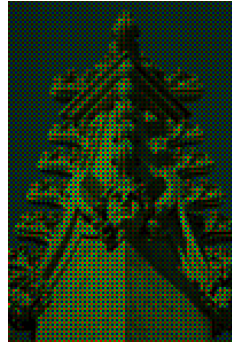
Aside: Color and CCD images



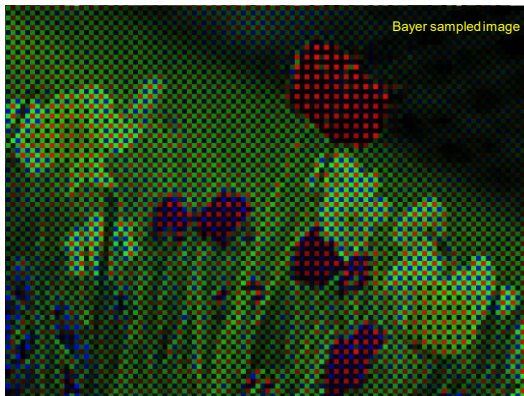
RGB "Bayer" mosaic of a CCD for color images



Normal color images are much lower resolution than black and white.



Interpolation is used to fill-in the gaps.



### CCD Gain

output ADU = input photons / gain

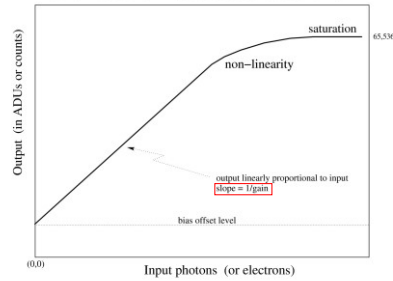
**Caution:** CCD gain is defined as the inverse of the common gain!

CCD gain == input / output

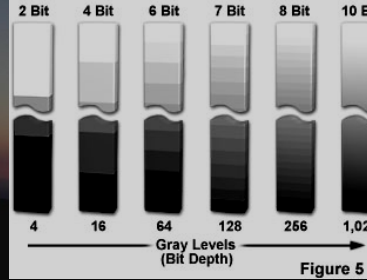
CCD gain typically ~ 1-10 e<sup>-</sup> / ADU  
 This means it takes 1-10 photons to generate 1 "count".

## CCD Gain

Schematic CCD input/output relationship



Bit Depth and Gray Levels in Digital Images



16-bit A/D converter allows  $2^{16} = 65,536$  discrete levels

## Theory Meets Reality: Part 1

Real CCDs and telescopes are not perfect.

There is noise, bias, and pixel-to-pixel differences in sensitivity.

To be maximally useful, we need to carefully calibrate the CCD.

## Readout Noise

Readout Noise

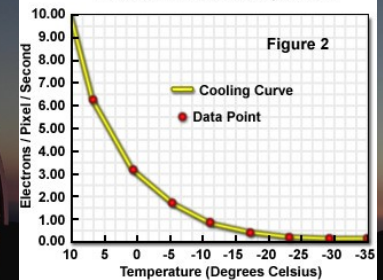
- reading the CCD generates noise
- independent of exposure time
- Gaussian-distributed
- good CCD has RO noise  $\sim 4-10$  e-/pix

## Dark Noise

Thermal fluctuations can knock an e- free, and this acts just as if a photon knocked it free.

- Depends on the exposure duration.
- Can be greatly reduced by cooling the CCD.
- Using liquid  $N_2$  can make dark noise negligible:  $< \sim 0.02$  e-/s/pix
- Dark current is important if the CCD is not cold, as in amateur CCDs.

Dark Noise versus Temperature



## Dark Noise

The dark noise must be measured by taking an exposure with the shutter closed. The dark exposure time must be the same as the light exposure time.

## Cosmic Ray Noise

Cosmic rays (particles from solar flares, AGN, supernovae, etc.) and their spallation shower products can ionize the Si atoms in a CCD and create a false signal.

Radiation from the Earth can do this too (e.g. naturally radioactive granite).

Cosmic rays/radiation events are usually very strong and easy to see.

Cosmic rays are usually the limiting factor in the duration of a CCD exposure.

## Bias

Noise can be positive or negative.

The CCD electronics cannot measure a "negative count" – this could cause a problem.

To prevent any chance of noise causing the output to be negative, an offset is added: the bias level.

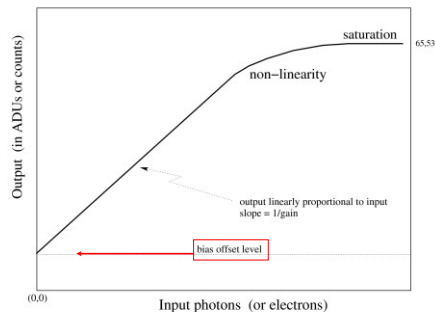
Bias is ~ few hundred ADU.

$$\text{CCD output} = (\text{input photons} / \text{gain}) + \text{bias}$$

Bias level must be measured and subtracted from the CCD image. Three ways to do this:

- 1) Zero second exposure w/ shutter closed (called a "bias frame" or a "zero frame")
- 2) Extra imaginary pixels can be read and their bias measured: "overscan" (this is like continuing to shift and read even if no buckets are left)
- 3) Dark frames automatically contain the bias offset level.

Schematic CCD input/output relationship

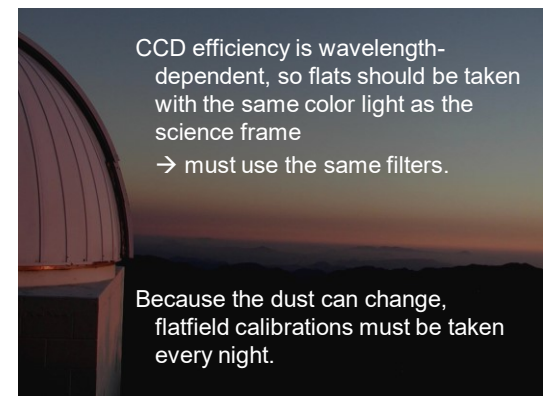
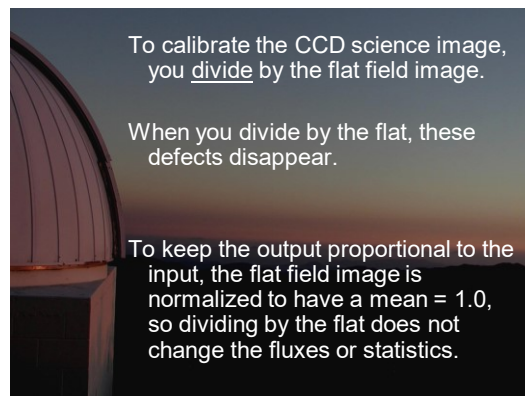
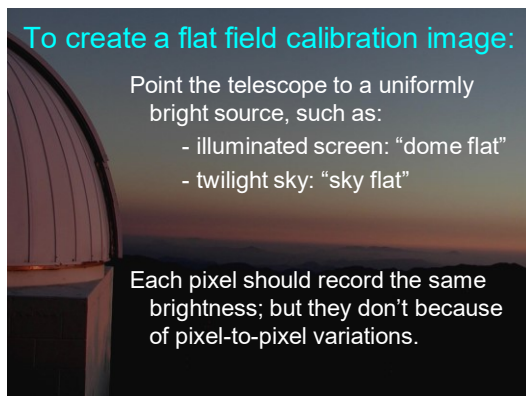
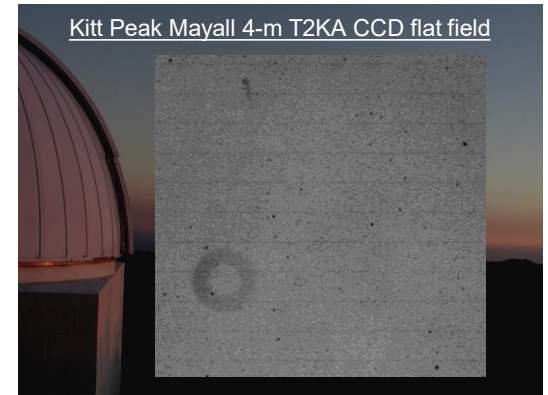
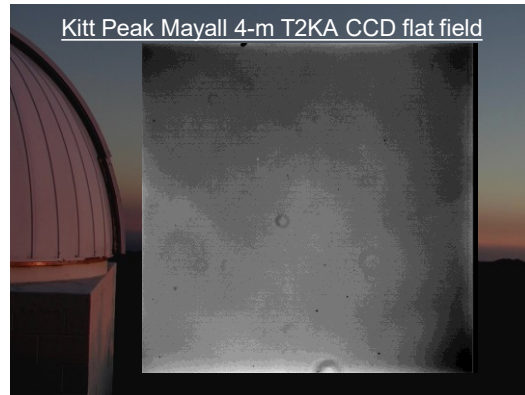


## Flat Fields

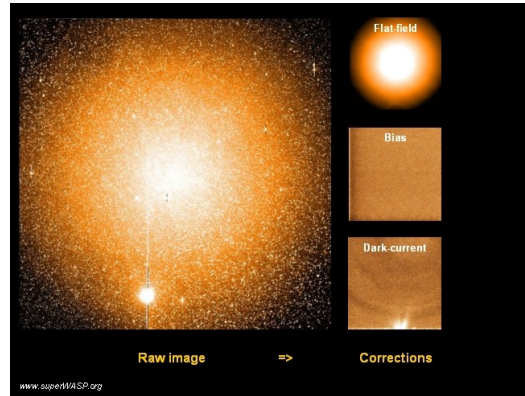
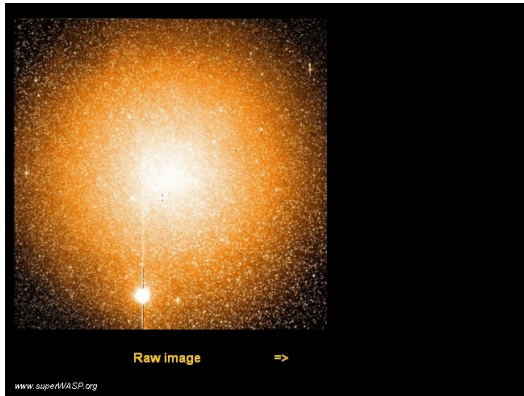
CCDs have several million nearly independent detectors, and they all must be calibrated to the same sensitivity.

Variations are caused by slight variations in pixel size, thickness, coating, impurities, etc. Differences of a few % are common.

To calibrate these differences, we use flat field images.







### CCD Calibration

- 1) Raw Science Images
- 2) Calibration Images
  - Bias Images
  - Dark Images
  - Flat Field Images

Calibrated Image ==  
 $(\text{raw image} - \text{bias}) / \text{sensitivity}$

### CCD Calibration

To help cancel random noise and reject cosmic rays, take a bunch of calibration images, combine them and use the median value for each pixel (*not the mean*).

The combined calibration image is often called a "master" image.

### Calibrated CCD Image

ideal:  
 $= (\text{raw image} - \text{bias image}) / \text{sensitivity}$

in practice:  
 $= (\text{raw image} - \text{Master bias}) / \text{Normalized Master flat}$

mathematically:  
 $= (\text{raw} - \langle \text{bias} \rangle) / \text{norm}\{ \langle \text{flat} - \langle \text{bias} \rangle \rangle \}$

in IRAF:  
 $= (\text{raw.fits} - \text{Zero.fits}) / \text{NFlat.fits}$

(for non-LN2 cooled CCDs, replace bias with dark)



Calibrated CCD Image

ideal:  
= (raw image – bias image) / sensitivity

in practice:  
= (raw image – Master bias) / Normalized Master flat

in IRAF:  
= (raw.fits – Zero.fits) / NFlat.fits

Theory Meets Reality: Part 2

The sky is not perfectly transparent,  
e.g., clouds, dust, turbulent air  
(causing “twinking”), water vapor, etc.

The sky is not perfectly dark,  
e.g., Moon, twilight, light pollution.

Nor are these constant – they change  
throughout a night.

Changes in sky conditions should  
affect all stars equally (to first order  
approximation).

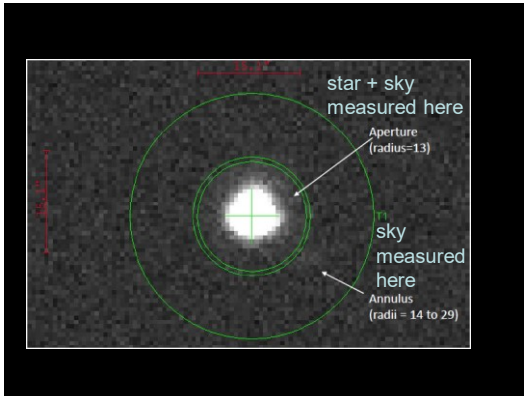
So we can correct for these problems  
using “differential aperture  
photometry”.

We measure the sky brightness, and  
we measure nearby “comparison  
stars”.

Every pixel contains light from the sky.  
Including the pixels with the stars on  
them.

Aperture photometry removes the sky  
contribution:

$$(star+sky) - sky = star \text{ only}$$



To compensate for the atmosphere, measure the light in a nearby "comparison star".

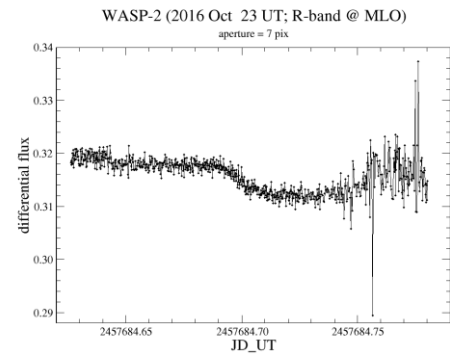
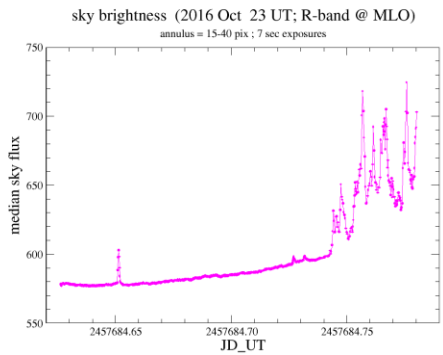
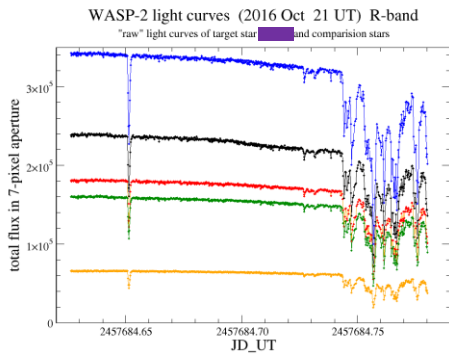
Then divide the "target star" by the comparison star. Atmospheric problems cancel out.

Calibrated star =  $(\text{star} - \text{sky}) / (\text{comparison star} - \text{sky})$

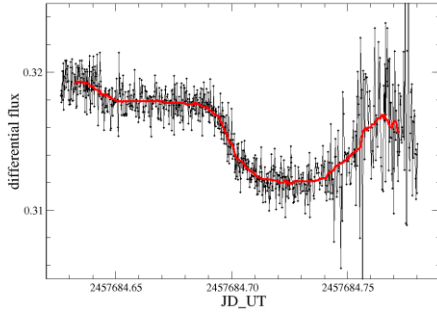
To get the best results, average together several comparison stars.

Then divide the "target star" by the average comparison star.

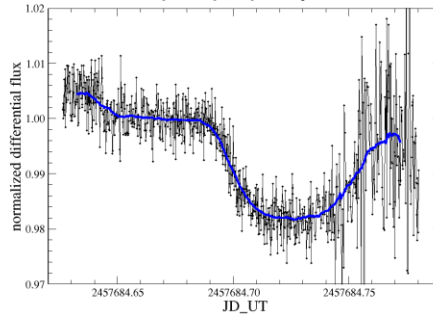
Thus:  
 Calibrated target star =  $(\text{target star} - \text{sky}) / \langle \text{comparison star} \rangle$



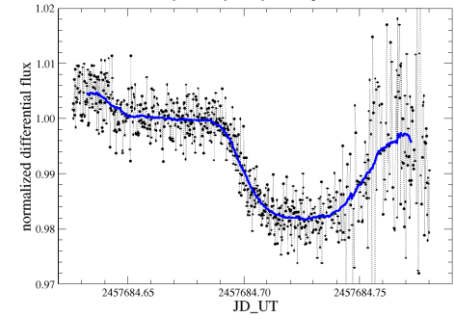
WASP-2 (2016 Oct 23 UT; R-band @ MLO)  
aperture = 7 pix ; 75-point sliding median



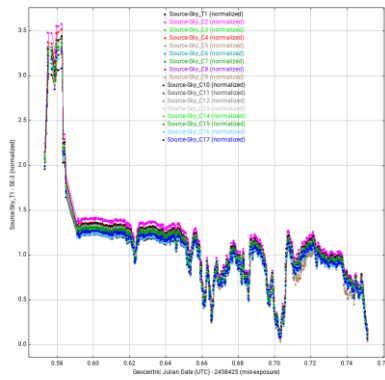
WASP-2 (2016 Oct 23 UT; R-band @ MLO)  
aperture = 7 pix ; 75-point sliding mean



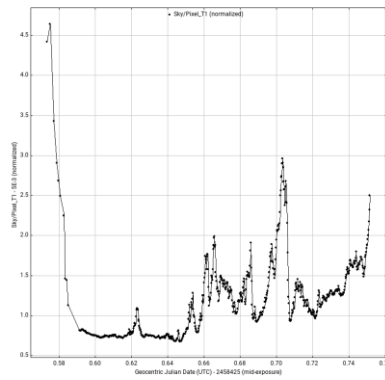
WASP-2 (2016 Oct 23 UT; R-band @ MLO)  
aperture = 7 pix ; 75-point sliding mean



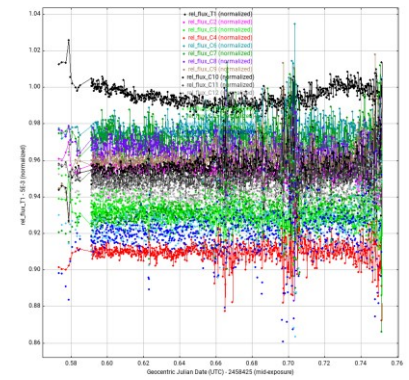
WASP-48 2018 Nov 03

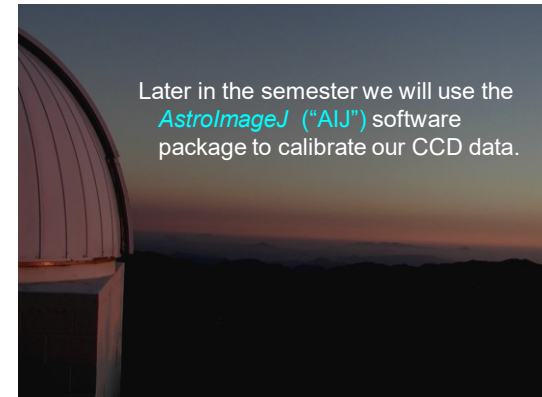
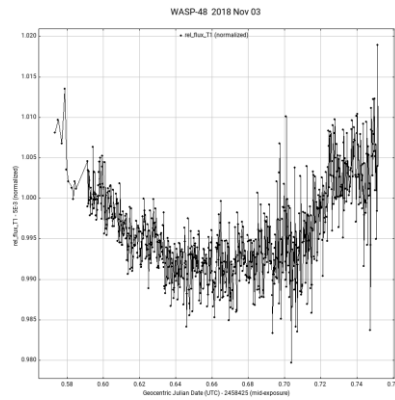
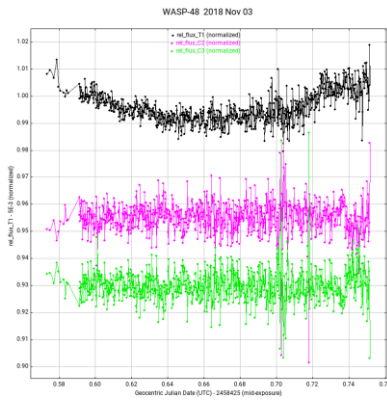


WASP-48 2018 Nov 03



WASP-48 2018 Nov 03





**CCD Behavior: *extra bits***

CCDs can become non-linear when the source is too bright. CCD output no longer is directly proportional to input.

And, at some point, the ADC electronics saturates.

It is best to adjust the gain so that saturation occurs before non-linearity, to prevent data from being taken that cannot be calibrated.

Combination of the gain and A/D converter limits the saturation level.

